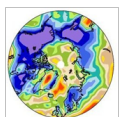


Simulating Atmospheric 'Physics'

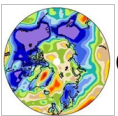
Andrew Gettelman

National Center for Atmospheric Research



Outline

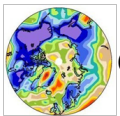
- Define the Problem of Physical Parameterization
- How it integrates into a GCM
- Drivers and time stepping
- Representing sub-grid processes
- Basic Requirements
- Some critical (or unappreciated) issues
- Examples
 - Simple → Complex



General Circulation Modeling

Already covered:

- Basics of General Circulation Models
- Dynamics, Motion and Advection
- Now: lets talk about what we can't resolve



Hydrostatic Primitive Equations

‘Hydrostatic’ = ‘larger’ scale (> 10km)

$$d\bar{\mathbf{V}}/dt + f\mathbf{k} \times \bar{\mathbf{V}} + \nabla\bar{\phi} = \mathbf{F}, \quad (\text{horizontal momentum})$$

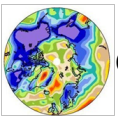
$$d\bar{T}/dt - \kappa\bar{T}\omega/p = Q/c_p, \quad (\text{thermodynamic energy})$$

$$\nabla \cdot \bar{\mathbf{V}} + \partial\bar{\omega}/\partial p = 0, \quad (\text{mass continuity})$$

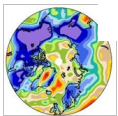
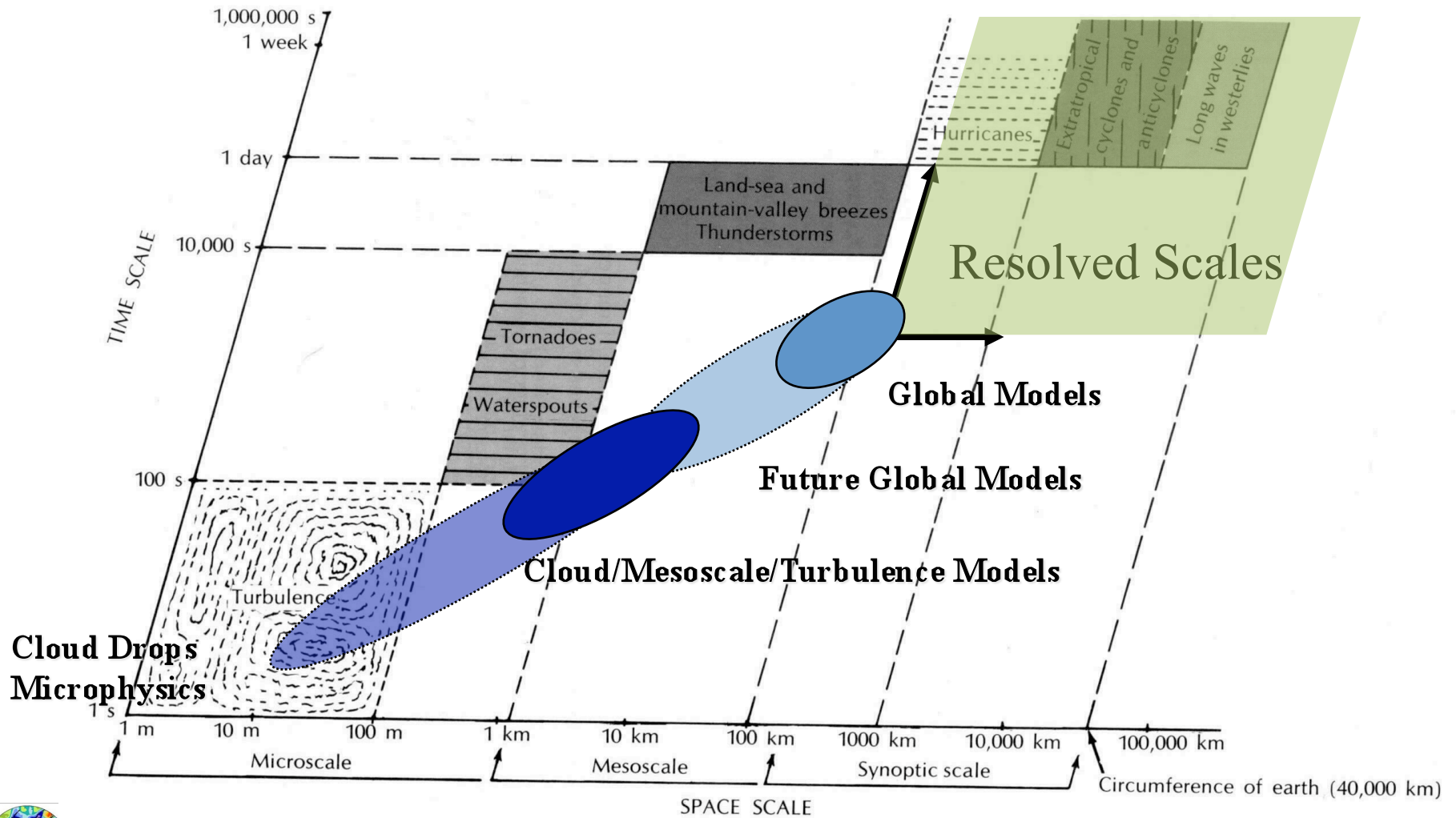
$$\partial\bar{\phi}/\partial p + R\bar{T}/p = 0, \quad (\text{hydrostatic equilibrium})$$

$$d\bar{q}/dt = S_q. \quad (\text{water vapor mass continuity})$$

Harmless looking terms \mathbf{F} , Q , and $S_q \implies$ “physics”



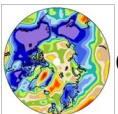
Scales of Atmospheric Processes



Physical Parameterization

To close the forcing terms of the governing equations (F, S, Q), it is necessary to incorporate the effects of physical processes that occur on scales below the numerical truncation limit

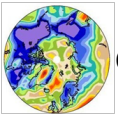
- Physical parameterization
 - express unresolved physical processes in terms of resolved processes
 - “resolved processes” are the atmospheric state
 - generally includes empirical techniques (see below)
- Examples of parameterized physics
 - dry and moist convection
 - cloud amount/cloud optical properties
 - radiative transfer
 - planetary boundary layer transports
 - surface energy exchanges
 - horizontal and vertical dissipation processes
 - ...



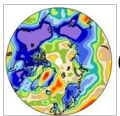
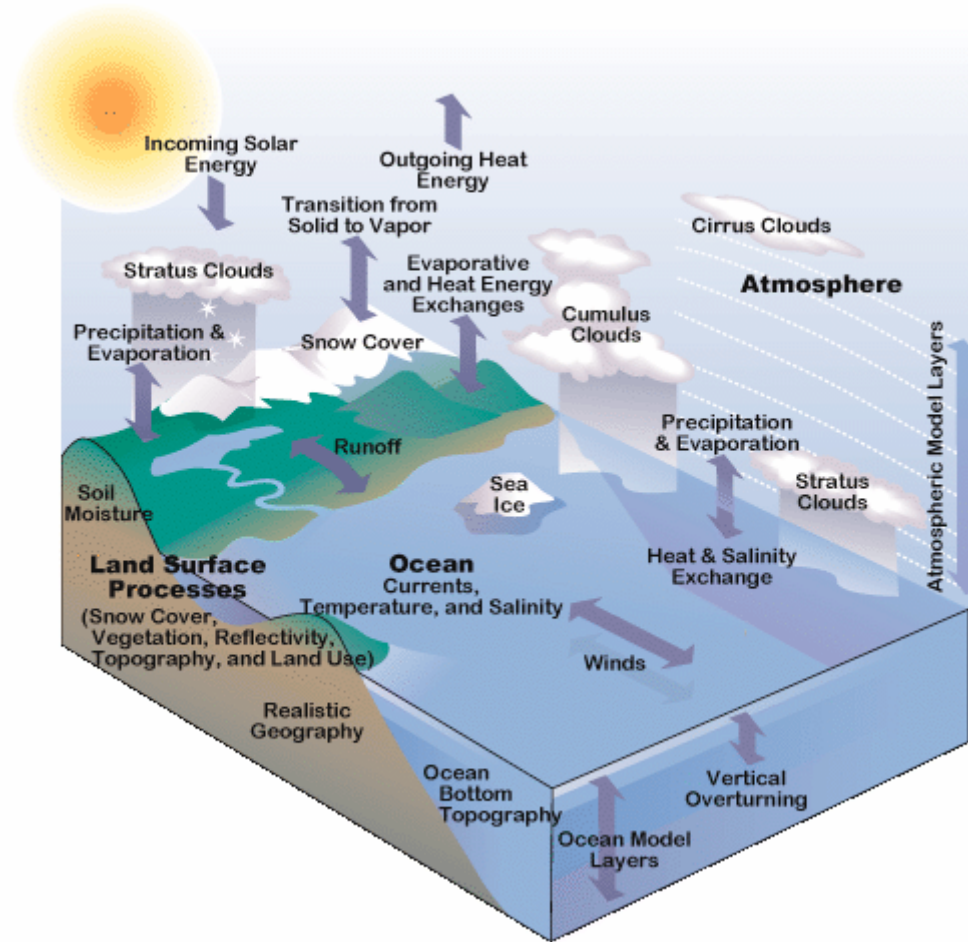
Global Climate Model Physics

Assume F , Q , and S_q represent physical processes

- Equations of motion, F
 - turbulent transport, generation, and dissipation of momentum
- Thermodynamic energy equation, Q
 - convective-scale transport of heat
 - convective-scale sources/sinks of heat (phase change)
 - radiative sources/sinks of heat
- Water vapor mass continuity equation, S_q
 - cloud-scale transport of water substance
 - cloud-scale water sources/sinks (phase change)
- Other continuity equations for other tracers S_χ
 - Includes chemistry and aerosols
 - Wet deposition, scavenging, etc



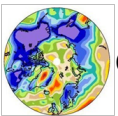
Earth's Climate System



Model Physical Parameterizations

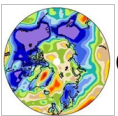
Physical processes breakdown:

- Moist Processes
 - Moist convection, shallow convection, large scale condensation
- Radiation and Clouds
 - Cloud microphysics, precipitation processes, radiation
- Surface Fluxes
 - Fluxes from land, ocean and sea ice (from data or models)
- Turbulent mixing
 - Planetary boundary layer parameterization, vertical diffusion, gravity wave drag (several for different waves)

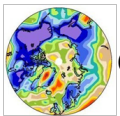
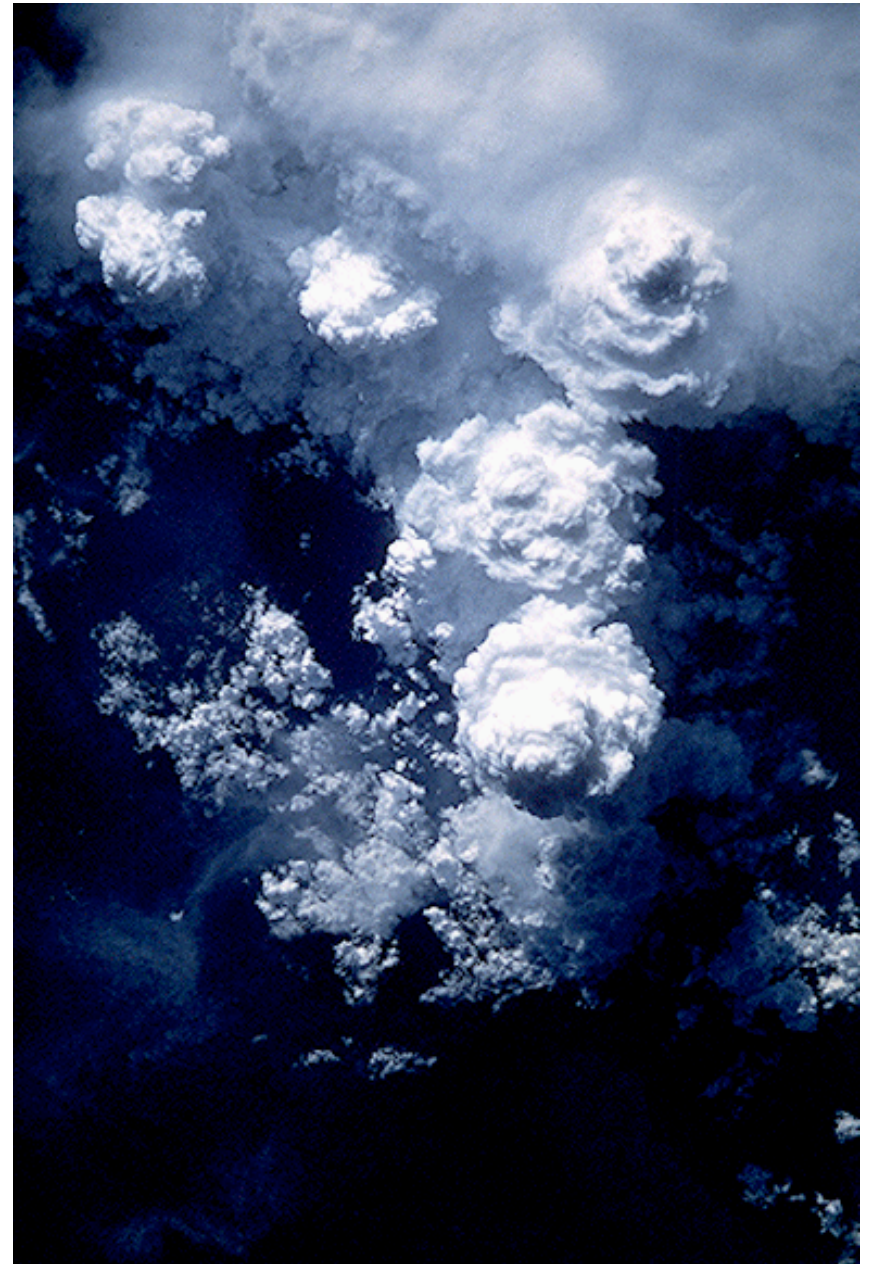


What is a 'Parameterization'?

- A representation of a physical process
- Usually based on
 - Basic physics (laws of thermodynamics)
 - Empirical formulations from observations
- In many cases: no explicit formulation based on first principles is possible at the level of detail desired. Why
 - Non-linearities & interactions at 'sub-grid' scale
 - Often coupled with observational uncertainty

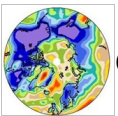


Example: Clouds

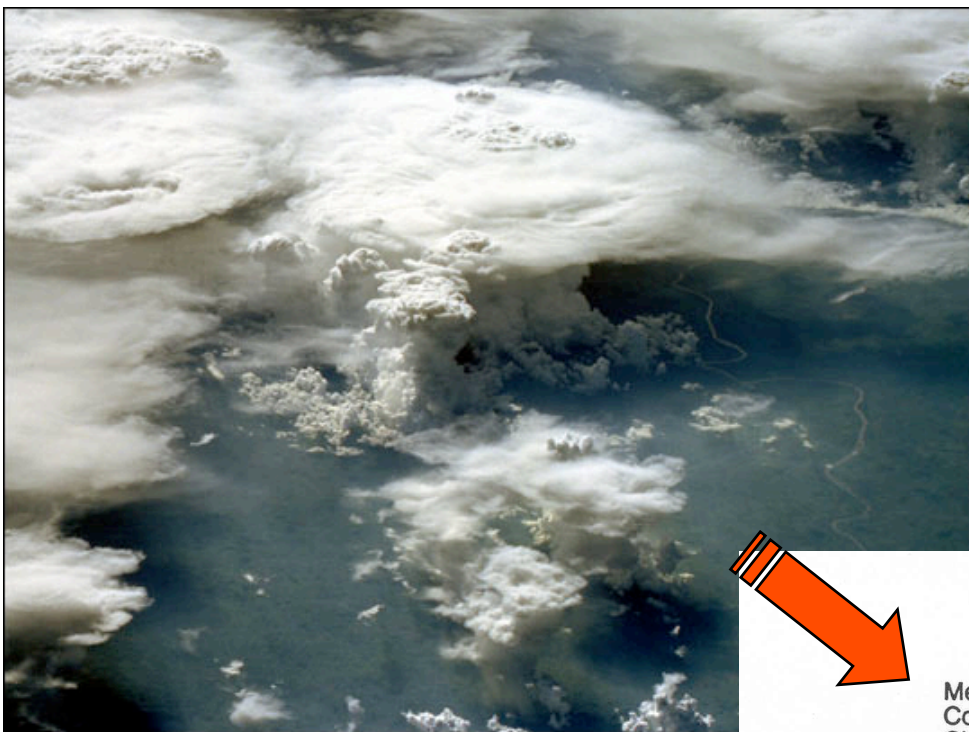


Cloud Parameterization

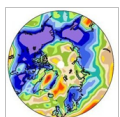
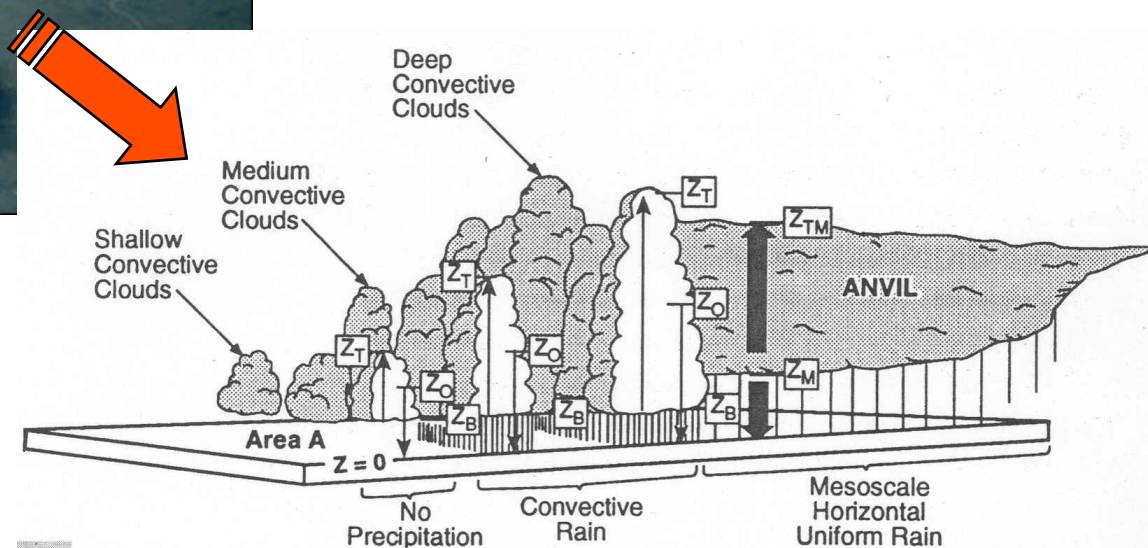
- Let's build a simple parameterization
- Need some basic theories
 - For example: water vapor cannot be supersaturated
- Add some rules to define it ('closure')
 - $q(x,y,z,t) < q_{sat}(x,y,z,t)$ where $q_{sat} = f(T,p)$ (t=time, T=temp)
 - if $q > q_{sat}$ then A (cloud flag) = 1, else $A = 0$
 - q_c (cloud water) = $q - q_{sat}$
- Done. Now you have a cloud parameterization



Process Models and Parameterization

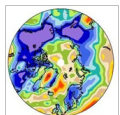


- Boundary Layer
- Clouds
 - Stratiform
 - Convective
- Microphysics



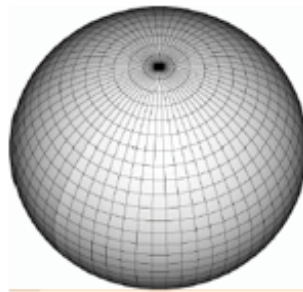
Implementation: Grid Discretization

- General Grids: discretization on a sphere
 - Horizontal, Vertical
- Terms S , F , Q are usually solved at each grid point: ‘Column’ Physics
 - Physics are usually independent of other columns
 - This assumption is dependent on time/space scales
 - Examples relevant for advection: CFL condition
 - For physics the timescale $<$ interactions
 - e.g.: short enough that the heat of condensation can be added to dynamics in the next time step.
- Sometimes a ‘stencil’ or neighboring points are necessary
- Or sub-steps can be run in a column (precipitation)
- Boundary conditions necessary at the top and bottom



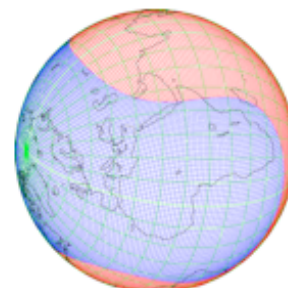
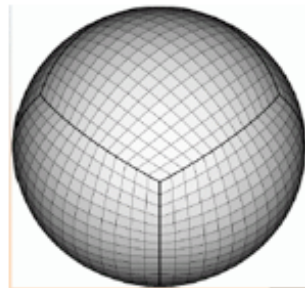
Horizontal Grids

Lat-Lon
(Gaussian)

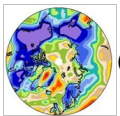


Spherical
icosahedral

Cubed-
Sphere

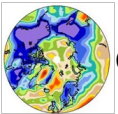


Yin-Yang



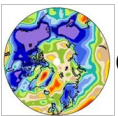
CAM Grid Structure

- In general, a physics parameterization does not know where it is on the earth.
- Code is broken into 'chunks' of columns and each 'chunk' is distributed to different a different processor on a machine
- This requires physics processes to be general (applicable for all possible atmospheric states)



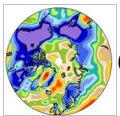
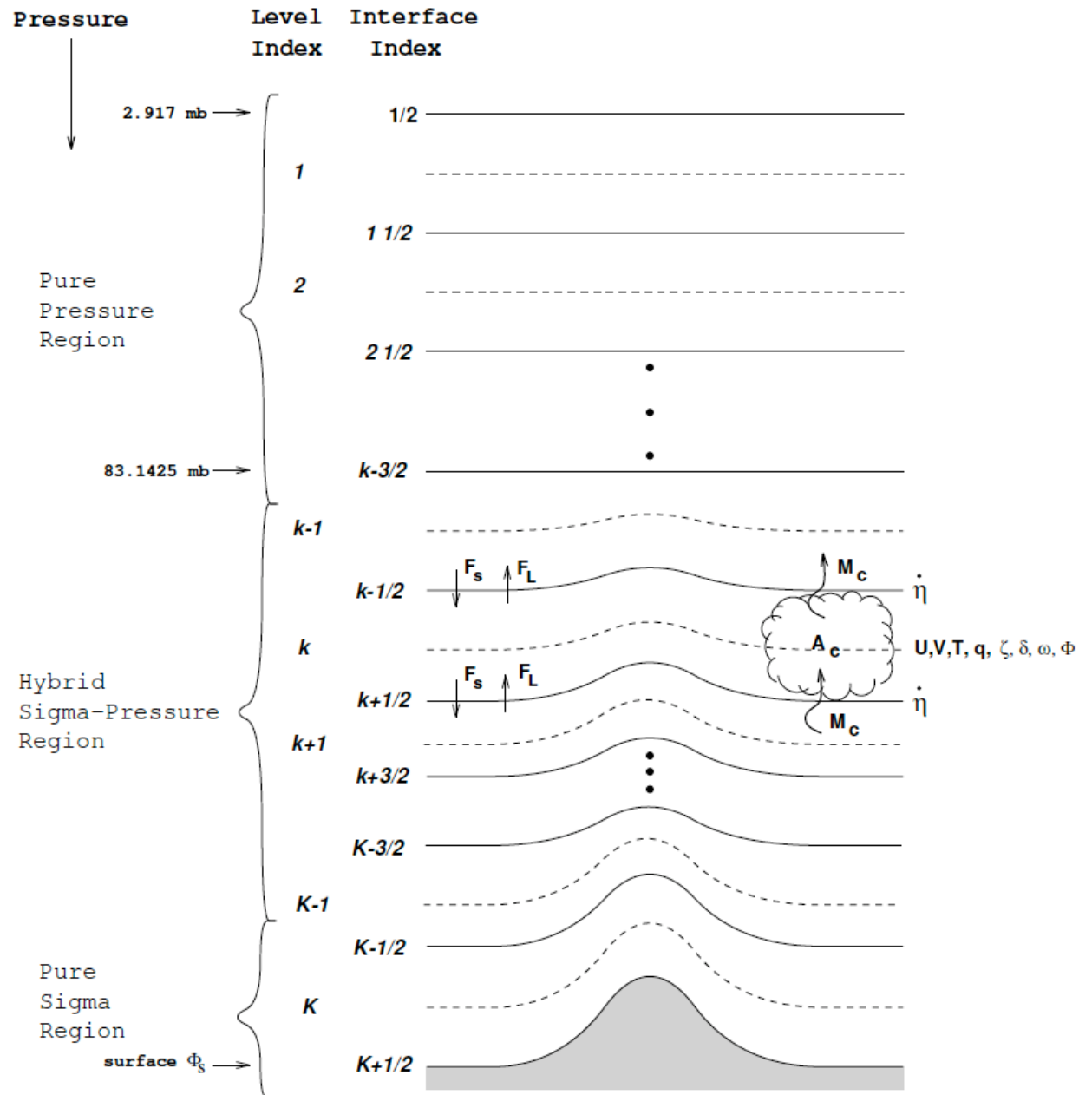
Horizontal Resolution

- Code generally does not know or assume a horizontal or vertical resolution
- However: most physics packages (or the combination of them) are resolution dependent (answers change with resolution)
- Often parameters are set differently at different resolutions
 - This is in addition to dynamics changes (time-step)



Vertical Grid

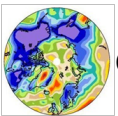
- Fixed pressure
not suited to following terrain
- Sigma $\sigma = P / P_s$
 $0 < \sigma < 1$, $\sigma = 1$ at surface
- Hybrid
combines both at an interface
(83hPa in CAM)
- CAM Usually 26 levels,
3→1000 hPa
- CAM defines layer by
Midpoints: State variables
Interfaces: Fluxes
- CAM Codes are also
dependent on vertical
resolution



Basic Logic in the Time-step Loop

For a grid of atmospheric columns:

1. 'Dynamics': Iterate Basic Equations
Horizontal momentum, Thermodynamic energy,
Mass conservation, Hydrostatic equilibrium,
Water vapor mass conservation
2. Transport 'constituents' (water vapor, aerosols, etc)
3. Calculate forcing terms ("Physics") for each column
Clouds & Precipitation, Radiation, etc
4. Update dynamics fields with physics forcings
5. Gravity Waves, Diffusion (fastest last)
6. Next time step (repeat)

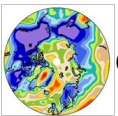


Basic Concepts: Time Iterations

- Multiple parameterization models are run in a time step. Can they run all at the same time? How do they interact?

Two methods:

- Process split: Processes act at the same time (i.e. on the same state)
- Time Split: Processes act sequentially (one after each other, on updated states)

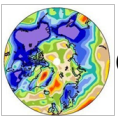


Time Iteration

In general: Physics processes are time-split
Time-scale of process < than model time-step

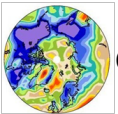
Coupling to Dynamics can be process split:

- Process Splitting used for Spectral Core
 - Extra dynamical terms arise from time-splitting
- Time Splitting used for Finite Volume core
 - Dynamics sub steps (vertical remapping) make process splitting difficult (multiple interpolation)



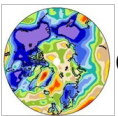
Ordering of Processes

- In theory the ordering of processes is arbitrary and should not matter (time stepping is a loop)
- In practice, fastest processes “last” (before next dynamics update, or after coupling): waves
- Moist processes (clouds) run before radiation to ensure radiation sees a consistent state



More on Time Splitting

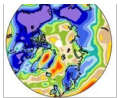
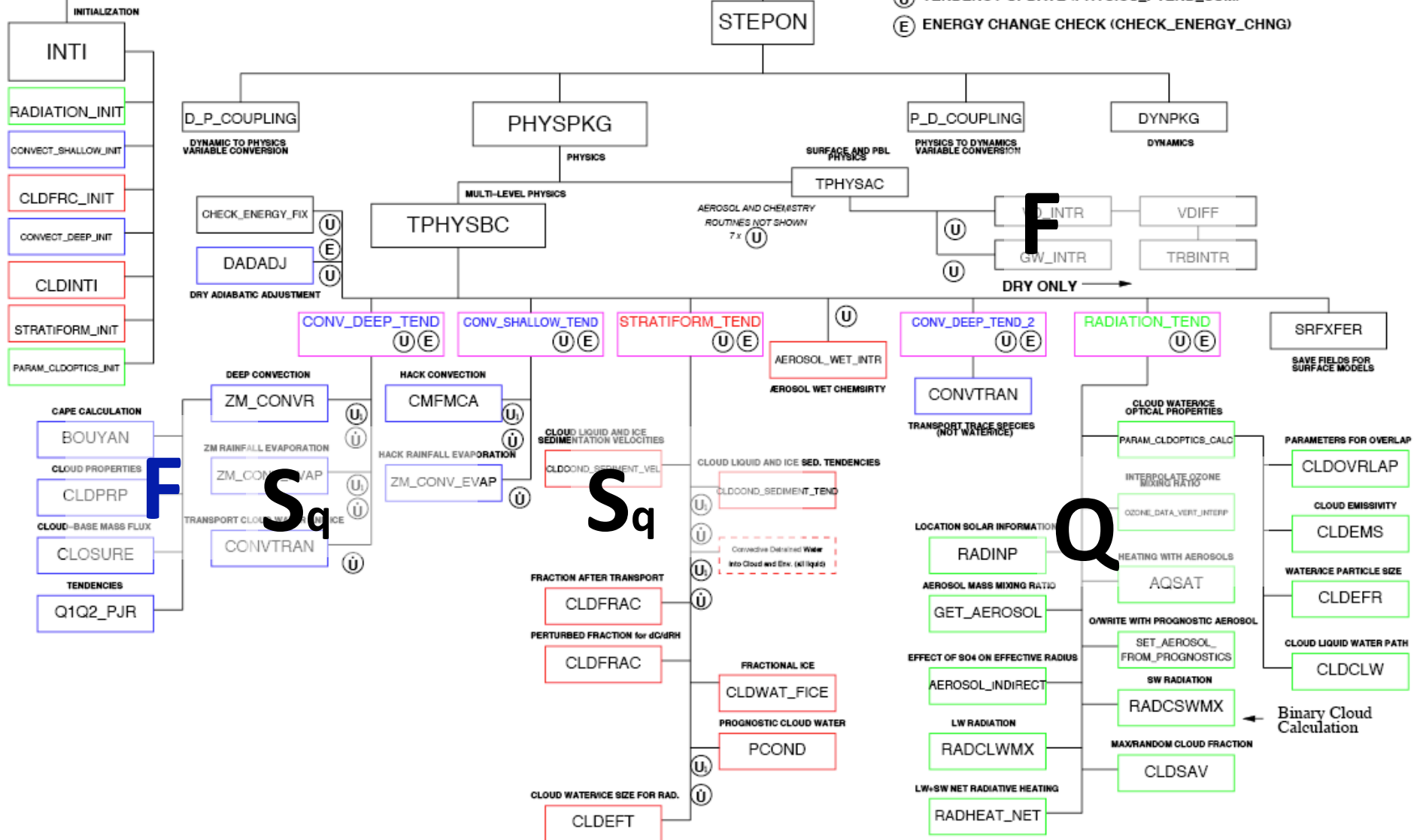
- Lenderink, G., and A.A.M. Holtslag, 2000: Evaluation of the Kinetic Energy Approach for Modeling Turbulent Fluxes in Stratocumulus. *Mon. Wea. Rev.*, **128**, 244–258.
- Williamson, D.L., 2002: Time-Split versus Process-Split Coupling of Parameterizations and Dynamical Core. *Mon. Wea. Rev.*, **130**, 2024–2041. (also in CAM3 Description)



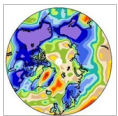
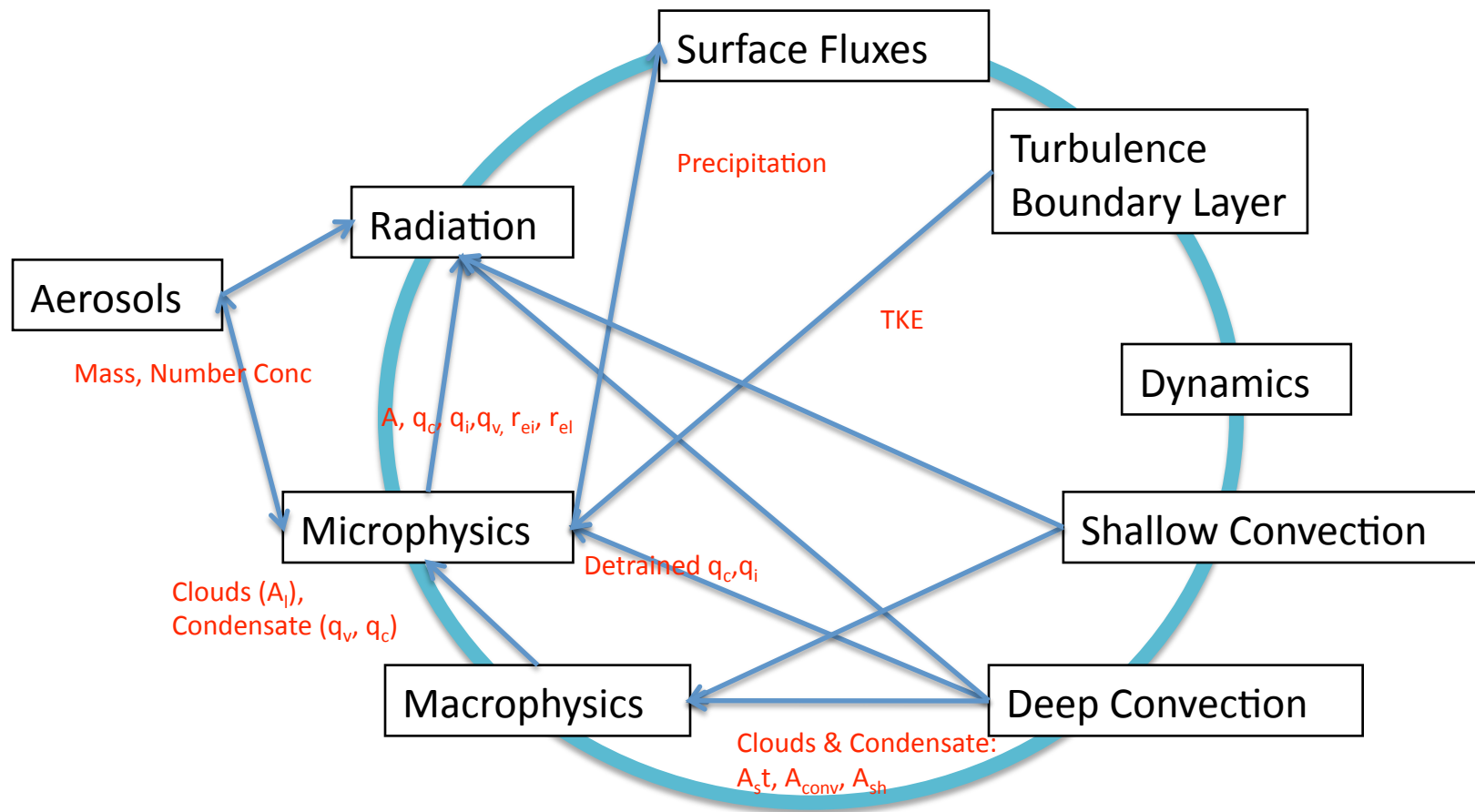
MOIST CONVECTION
 STRATIFORM
 RADIATION
 INTERFACE

CAM3.0.11

- ⓪ PHYSICS STATE UPDATE (PHYSICS_UPDATE)
- Ⓛ PHYSICS COPY STATE UPDATE (PHYSICS_UPDATE)
- Ⓜ TENDENCY UPDATE (PHYSICS_PTEND_SUM)
- Ⓝ ENERGY CHANGE CHECK (CHECK_ENERGY_CHNG)

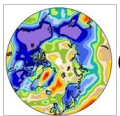


CAM4 GCM physical processes



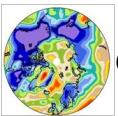
Key Interactions

- Cloud Processes & Radiation
 - Feedbacks
- Precipitation & Scavenging
 - Chemical (gas phase) constituents
 - Aerosols (condensed phase constituents)
- Microphysics and Aerosols
- Boundary Layer / Cumulus & Dynamics
- Resolved scales and unresolved scales



'Sub-Grid' Processes

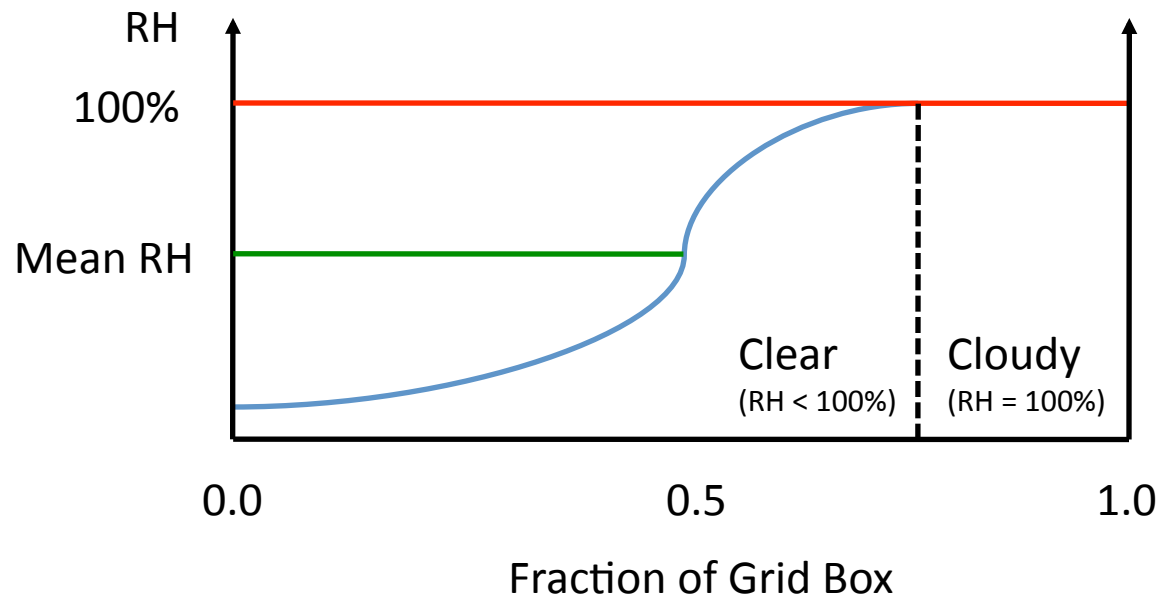
- Not all processes assume uniform state for each grid cell.
- Generalized way to deal with small scales
- Some processes are highly non-linear, so 'sub-grid' variability is assumed
- Simple example: 'fractional cloudiness'
 - Also called 'cloud macrophysics'
 - Used by microphysics and radiation
 - This will take our simple cloud parameterization one step further



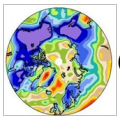
Sub-Grid Humidity and Clouds

Liquid clouds form when $RH = 100\%$ ($q=q_{sat}$)

But if there is variation in RH in space, some clouds will form before *mean* $RH = 100\%$

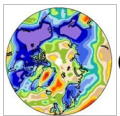


Assumed Cumulative Distribution function of Humidity in a grid box with sub-grid variation





Sub-Grid Processes

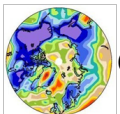
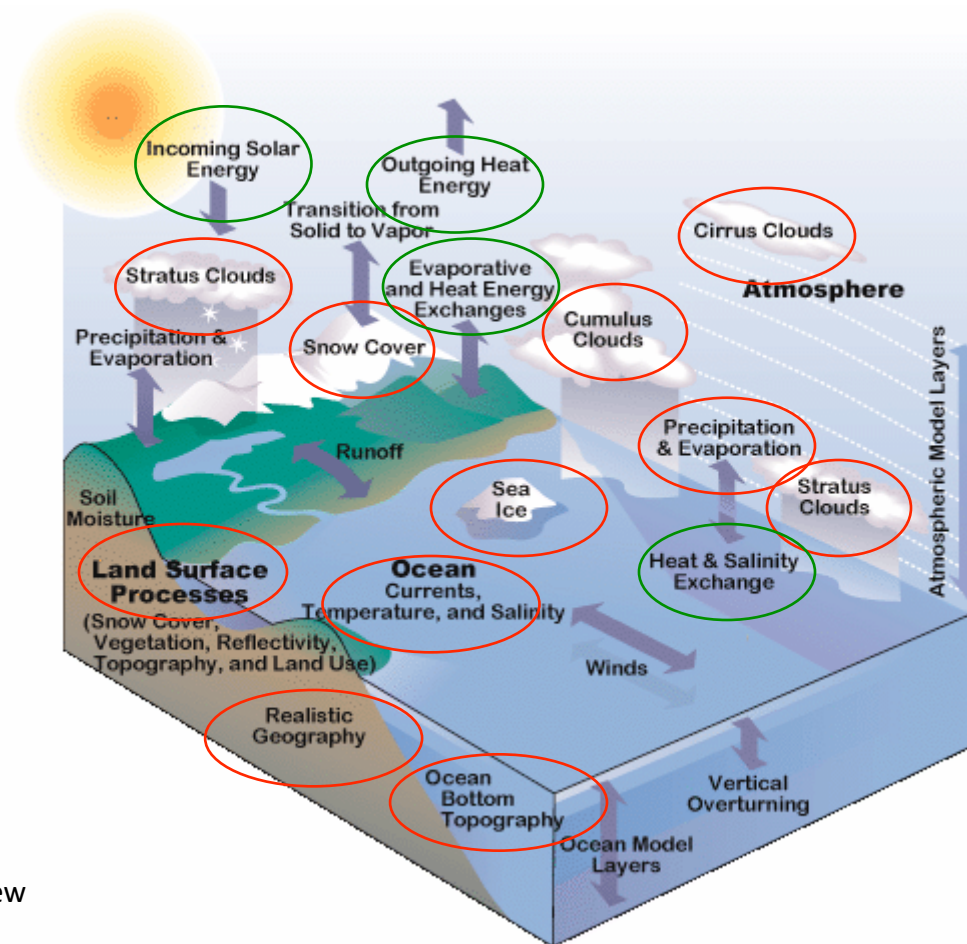
- Fractional cloudiness used by many processes
- Also implications for radiation
 - This will be discussed later
- Also Sub-grid distributions of vertical velocity (w)
 - upward & downward motion even if mean $w=0$
- More complex treatments:
 - Single & multi-variate PDFs
 - Starting to be used now in CAM
- Similar interactions with surface models
 - Fractional sea ice, fractional forest cover, etc



Key 'sub-grid' parts of the system

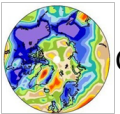
Nearly Everything!

-  Sub-Grid Process
-  Affected by Sub-Grid Process



Commandments

Thou shalt not
create or destroy mass

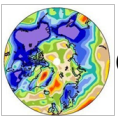


Requirements or 'Commandments'

1. Mass and Energy (Moist Static Energy) must be conserved.
2. Reproducibility: the same configuration should produce the same answer

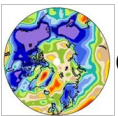
Notes:

- Still can have stochastic elements
(same seeds for random number generators)
- Be careful of machine precision ($1 + 1 \neq 2$)



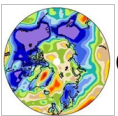
Fundamental Issues

- In many cases, no clean physical equations define a problem
- Many empirical formulations exist (e.g.: define a parameter based on model physical state and an empirical formulation of the same from observations)
 - Dangers: state ends up outside valid range!



Hidden Dangers

- Even the simplest things are often empirical or have hidden assumptions
- Remember our simple cloud model:
 - $A=f(RH)$ so that $A=1$ if $q > q_{sat}$
 - What is q_{sat} ?
 - For cold temperatures, q_{sat} for liquid, which is still important for driving condensation, is an empirical fit to laboratory observations!
 - Few experiments exist below -20C!
 - q_{sat} itself may be uncertain!

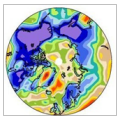
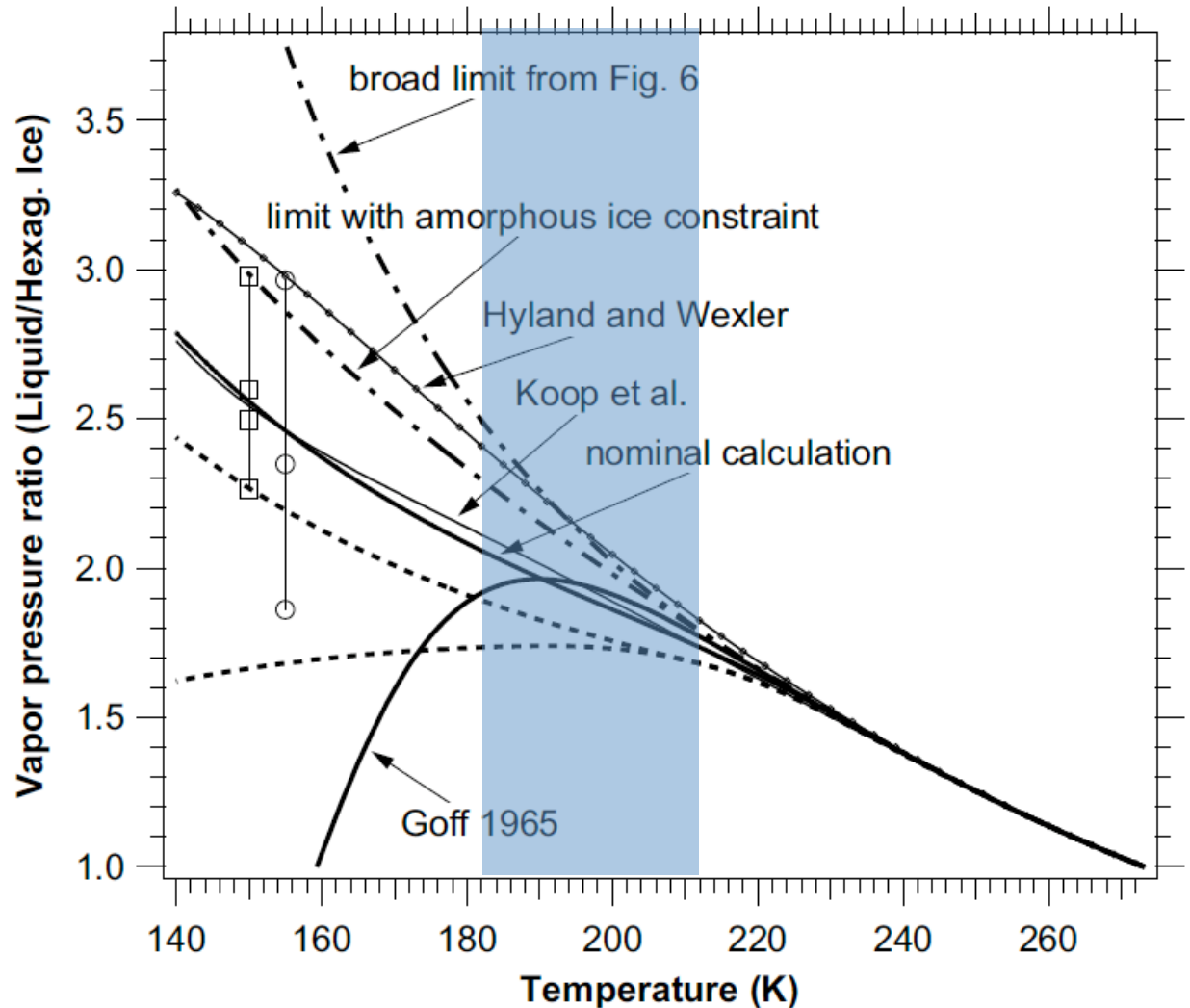


Vapor Pressure Differences

q_{sat} is highly uncertain
at low T.

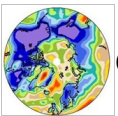
Also note: Goff 1965 is
extrapolated!

VAPOUR PRESSURES OF ICE AND SUPERCOOLED WATER



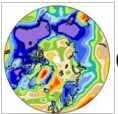
Computational Issues

- Model code should be reproducible
- Easy for it not to be for numerical reasons
 - “x=2.” can be stored as 2. + whatever else is in the other byte of memory (e.g. 2.0000567)
 - Or: variables defined but not =0. (need to clear memory)
- Careful coding and checking is key
 - We test for this (or try to)
- Column physics code is ‘stupidly parallel’
 - Ideally does not care what next neighbor is doing
 - Run on lots of processors
 - Sometimes memory is an issue (large – look up tables)



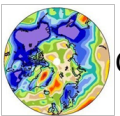
Software Interface Standards

- Goal is to allow the process parameterizations to be model independent through a ‘physics interface’
- Ideally you can just ‘plug-in’ any process model.
 - Practically there are requirements and standards
 - Will cover this in more detail in practical session 4



Summary

- ‘Physics’ provides forcing terms for the basic equations
- It is usually discretized into independent columns
- ‘Parameterization’ is the art of representing complex processes below the grid scale from the model state: building a process model
- The time discretization of the process models may be important
- Representing un-resolved scales is critical
- Significant assumptions are embedded in almost anything!
- Computational issues can also play a role: minimize them!
- Let’s see how we can put this together...

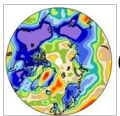


Rainbow Parameterization

- We have clouds, sunlight and precipitation
- Why not rainbows?
- Let's build a 'Parameterization'

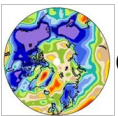
Rainbows? Frivolous?

- Maybe a good indicator of:
 - relationships between clouds and precip
 - diurnal cycle of precipitation
 - Maybe an indicator of climate change?
- Other examples that are similar:
 - Contrails
 - Heat or drought index
 - Polar Mesospheric Clouds



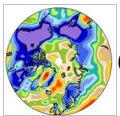
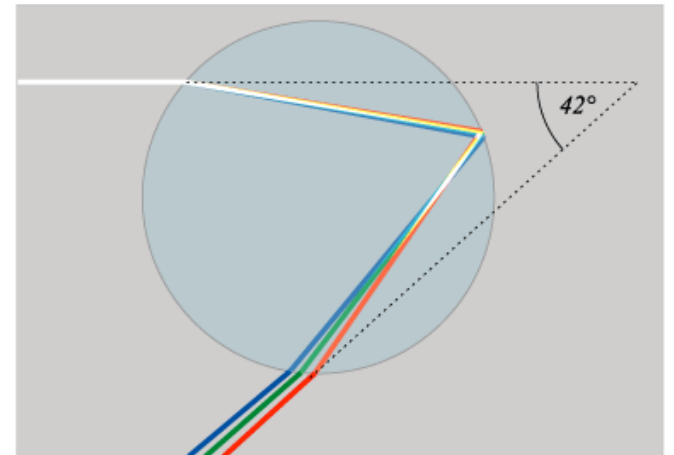
Goal

- Suppose we want to know the fractional occurrence of rainbows
 - Test cloud & precip occurrence and diurnal cycle
- Definitely sub-grid
- Purely diagnostic
 - does not affect solution
 - diagnosed each time-step independently



Rainbow Physics

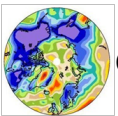
- Rainbows require light from the sun to hit a raindrop and be refracted back to the observer
- Need some fraction clear sky
- Some precipitation fraction
- The refraction angle is $\sim 42^\circ$
- So the solar zenith angle $\phi > 48^\circ$
- Lower sun = larger rainbow (coverage)



Now build some logic

- If $\phi > 48^\circ$
- and cloud fraction $A < 0.5$ (need some sun)
- and rain fraction $F_p > 0.5$ (need some rain)
- Then rainbow frequency $F_{RB} = \sin(\phi - 48)$
 - This yields a rainbow frequency from $0 \rightarrow 0.67$ as ϕ goes from $48^\circ \rightarrow 90^\circ$.
 - Maybe we want to add the rain fraction in it (because more rain increases the odds, and rainbows really aren't that common):

$$F_{RB} = F_p * \sin(\phi - 48)$$



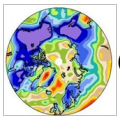
Evaluate and Adjust

- Look at different cases: In-situ observations
 - Need data on rainbows, precipitation, sun, clouds
 - Evening Rainbows: Boulder
 - Morning rainbows: Field project in Hawaii
- Empirical factor to adjust the parameterization?

$$F_{RB} = U_{RB} * F_p * \sin(\phi - 48)$$

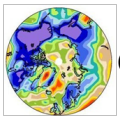
Where U_{RB} is the 'rainbow factor'

- Or we could fit $U_{RB} = f(A, F_p)$
 - Most likely, want to look at convective clouds
- Maybe sine is not the right functional form?
 - perhaps there is something better from optics



'Parameterization'

- This is tongue in cheek, but the concept is to add a process model based on
 - Known physics
 - Known model state parameters
 - Empirical relations (last resort)
- It is trivial to then add:
 - Sun Dogs (ice phase, specified habits, etc)
 - A pot of gold: Just find the end of the rainbow



Different parameterizations

- Planetary Boundary Layer [F,S]
- Cloud Macrophysics (large scale condensation) [S]
- Cloud Microphysics (stratiform clouds) and Aerosols [S]
- Radiative Transfer [Q]
- Cumulus Parameterization [F,S]
- Momentum Transport and Gravity Waves [F]

